Aerosol Particles Generated by Coughing and Sneezing of a SARS-CoV-2 (COVID-19) Host Travel Over 30m Distance

B. Gorbunov*

Ancon Technologies Ltd, CIC, University Rd., Canterbury, Kent CT2 7FG, UK; Ancon Medical Inc., Bloomington, Minneapolis, Minnesota, USA U.S.A

Abstract

A fast-computational 3D model comprising fluid dynamics with heat transfer, mass transfer and diffusion of diluted species has been adapted and employed to evaluate dispersion of aerosol particles in various environments. Effects of convection flow, atmospheric diffusivity and humidity on evolution and travel distances of exhaled aerosol clouds by an infected person are modelled. The modelling clearly demonstrates how aerosol particle dispersion is influenced by weather and geometry of the environment. The results obtained demonstrate that aerosol particles of sizes from 10 \( \mu \text{m} \) to 100 \( \mu \text{m} \) that potentially can carry SARS-CoV-2 (COVID-19) viruses travel over 30 m in some atmospheric conditions. Modelling of the evolution of aerosol clouds generated by coughing and sneezing enables us to evaluate the deposition dose of aerosol particles in healthy individuals. In realistic weather scenarios viruses can be deposited in the respiratory tract of a healthy individual at up to 200 virus copies in several minutes. A metric based on aerosol particle (volume) size distribution and the ICRP lung deposition model is suggested.

Keywords: COVID-19 transmission; Viral load; Size distribution; Modelling.

* Corresponding author. Tel: +44 (0)1227 811 705
E-mail address: boris.gorbunov@anconmedical.com
INTRODUCTION

Understanding transmission of COVID-19 infection is one of the key issues the scientific community faces. Investigating the main virus transmission routes is vital for policy development to curb the spread of the current pandemic. The US Centres for Disease Control and Prevention recommends a 6-foot (1.83 m) separation distance. This exclusion distance is based on estimates of the range that have not considered convection flow and atmospheric diffusivity that affect dispersion of exhaled aerosol clouds considerably. Recent works on COVID-19 have shown that sneezes and coughs not only consist of large mucosalivary droplets that quickly follow short-range deposition trajectories downwards but, importantly, are primarily made of a multiphase turbulent gas (a puff) cloud that entrains ambient air and carries aerosol particles (Bourouiba, 2020).

The initial stage of airborne viral disease transmission is caused by virus laden droplets that are generated mainly by coughing, sneezing (Mittal et al., 2020; Jayaweera et al., 2020). This creates a population of airborne particles in the vicinity of a host. There is an ambiguity about terminology used for these particles: in some publications they are described as droplets, but in others as aerosol particles (Vuorinen et al., 2020; Yang et al., 2007). Here to avoid an ambiguity, airborne particles (diameter < 100μm) generated by infected persons are described as aerosol
particles assuming that these include other terms such as droplets, microdroplets and nuclei with and without viruses (Pruppacher and Klett, 1997; Baron and Willeke, 2001).

There are two major routes whereby infection can be transmitted from a host to another person: first, viruses are directly transmitted through the air by aerosol particles that are inhaled into the oronasopharynx and second, an indirect transmission when viruses are transferred by contact with contaminated objects (Pica and Bouvier, 2012; Mittal et al., 2020). Respiratory infectious diseases can be spread by airborne transmission (Hui, 2010; Rosa et al., 2013; Jin et al., 2020; Morawska and Cao, 2020).) Airborne routes seem to be important for spreading COVID-19 for both presymptomatic and asymptomatic individuals (Howard et al., 2020; Eissenberg and Shihadeh, 2020; Domingo et al., 2020; Setti et al., (2020a). The presence of COVID-19 (SARS-CoV-2) virus on particulate matter have been confirmed in Northern Italy (Setti et al., 2020b) and in China (Yuan L. et al., 2020).

van Doremalen et al., (2020) evaluated the stability of SARS-CoV-2 and SARS-CoV-1 in aerosols and on various surfaces and estimated their decay rates. SARS-CoV-2 remained viable in aerosols throughout the duration of the experiment (3 hours). Their results indicate that aerosol transmission of SARS-CoV-2 (COVID-19) is plausible, since the virus can remain viable and infectious in aerosols for hours and on surfaces up to days. On the contrary, Xiao et al. (2020) stated that evidence from some trials did not support a substantial effect on transmission of
laboratory-confirmed influenza via the aerosol route. The complexity of experimental data on COVID-19 in field and laboratory fuels interests to modelling aerosol particles transmission in both open spaces and confined environments.

Recently a number of works on modelling aerosol transport in relation to SARS-CoV-2 transmission have been published. For example, a computational fluid-particle dynamics (CFPD) model was employed to simulate the transport, condensation/evaporation, and deposition of SARS-CoV-2 laden droplets emitted by coughs, with different wind velocities and humidity in a small 3m cube (Feng et al., 2020). Numerical results indicate that the convection will enhance the complexity of the secondary flows with recirculation between the two virtual humans in the cube. With the complex environmental wind and relative humidity (RH) conditions, the 6-feet social distancing policy may not be sufficient to protect the direct person-to-person aerosol transmission.

Four different 3D computational fluid dynamics (CFD) simulation software were employed to investigate the effect of air ventilation on aerosol evolution in indoor environment (Vuorinen et al., 2020). They show that the exposure time to inhale > 100 aerosol particles could range from seconds to hours depending on the situation.

The COVID-19 pandemic has exposed significant scientific gaps in our understanding of critical issues, ranging from the transmission pathways of such respiratory diseases, to the strategies used for mitigating these transmissions (Morawska and Cao, 2020; Mittal et al., 2020;
Feng et al., 2020; Jayaweera et al., 2020). Discrepancies in collected data suggest that more research is necessary to determine with increased certainty the role that environmental factors play in the transmission of viral pathogens exhaled by infected individuals.

In this paper, methods of atmospheric physics well developed for air quality modelling are employed to evaluate importance of the aerosol route for COVID-19 transmission. Here we are considering aerosol dispersion in complex geometries by employing compressible Navier-Stokes equations, with an integrated turbulent diffusion, aerosol-gas mass exchange, heat transfer with gravitational forces and buoyancy. The aerosol exposure-dose relationship will be investigated using the International Commission on Radiological Protection (ICRP) lung deposition model (ICRP 1994). The main aim of this work is to: a) reduce uncertainties associated with aerosol transmission of COVID-19 in public places and evaluate the travel distances of larger particles (inertial size range) under typical conditions for different geometries; b) quantify effects of heat transfer on aerosol dispersion; c) investigate exposure-dose relationships for aerosol particles of relevant sizes and d) consider possible metrics for quantification of the risk mitigation associated with exposure to virus laden aerosols.

**Modelling of COVID-19 spread via the air**
The aerosol transformation processes relevant to dispersion of SARS-CoV-2 viruses were studied employing validated Comsol v5.5 finite element software (see ref. Comsol Multiphysics and Steer et al., 2014). The software comprises the Fluid Dynamics module with Navier-Stokes compressible flow (Ma<0.3) equations, Heat Transfer module and Transport of Diluted Species with atmospheric turbulent diffusion module. These modules were solved together using Comsol Multiphysics software. It should be noticed that both Comsol versions of Navier-Stokes equations (compressible and incompressible) can be employed here because they produce identical results for the problems solved in the manuscript.

The Navier-Stokes equations especially combined with heat and mass transfer are notoriously difficult for numerical modelling. The modelling procedure involves a set of software runs with different mesh sizes starting from coarse towards finer meshes until the mesh refinement does not influence the result. Both global and local mesh refinement metric were used to ensure efficiency of convergence and accuracy of the solution. A local metric is defined at a specific location in the model but the global - over the entire model space. The Mesh Builder module automatically generates non-uniform meshes with smaller sizes near sharp corners or surfaces with small curvature radius.

The PARDISO direct solver and iterative GMRES solver have been employed for stationary and time dependent velocity fields \((u,v,w,t)\), temperature field \(T_{X,Y,Z,t}\) and the number
concentration of aerosol particles $C_{X,Y,Z,t}$. An additional mass transfer of water vapor between aerosol particles and the gas phase was simplified and employed as a parameterization of a direct modelling of the mass exchange (Pruppacher and Klett, 1997; Baron and Willeke, 2001; Vuorinen et al., 2020). The lung deposition model was based on ICRP (1994) with lung deposition efficiency from Gorbunov et al. (2004); Ruzer, et al. (2005); Karl, et al. (2016).

In modelling, the dispersion of the aerosol cloud was calculated from a simplified initial aerosol cloud of an elliptical shape with a given aerosol number concentration and cloud boundaries. The subsequent evolution of the aerosol particles concentration was recorded as a concentration $C_{X,Y,Z}$ for a steady-state modelling or as $C_{X,Y,Z,t}$ for time dependent solutions.

In this work we developed a simple human head model where we used a cylinder for neck and ellipsoids for the head and nose. This model is a useful simplification. We tested how variations in the size of the model and features of the head affect the aerosol concentration field. It was found that variation in size of parts (by 10%) has less than 1% influence on the aerosol/droplet concentration at distances more than 2m from the source. Therefore, the simplified human model seems to be enabled to obtain sufficiently accurate results.

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Steady-state aerosol source X-Z plane and boundary conditions
First, an open space aerosol dispersion 2D steady-state model was developed and employed to evaluate the influence of the wind velocity on the possibility of transferring aerosol particles from the source to an uninfected person. In the model, aerosol particles of sizes close to those observed in coughing, talking and sneezing experiments were considered. The concentration field of aerosol particles \((C_{XZ})\) have been calculated in X-Z space \((-3m<X<17m; -2.5m<Z<2.5m)\). The mouth of the host head was at \(X=0, Z=0.8m\) or \(1.7m\) from the ground.

The velocity field boundary conditions for the ground and the human surface were \(u=0\), without slip (No slip). The right boundary was at \(X=17m\) was pressure \(p=1\)atm. The top boundary condition at \(Y=2.5 m\) was \(u\cdot n=0\) with slip. The left boundary at \(X=-3m\) was \(u=U_0\cdot n\) with \(U_0\) – wind speed.

Different boundary conditions for the convection flow inlet were tested, for example a more realistic linear condition \(U_0= 2\cdot (Z+2.5 m)\cdot U_0\), but the influence on the concentration field was negligible (less than 10% in number concentration) if the total mass flow was constant. It could be explained by the position of the aerosol source quite far above the ground (1.7 m). Therefore, the effect of the ground boundary was small at 1.7 m. A randomization of \(U_0\) along the \(Z\) coordinate also gave rather negligible variations in the number concentration field.
The aerosol particles boundary conditions for the ground and the human surface were $C_{X,Z}=0$. The right boundary condition at $X=17$ m was the outflow. The top boundary condition at $Y=2.5$ m was “No Flux” (Comsol Multiphysics). The left boundary at $X=-3$ m was $C_{X,Z}=0$. The initial aerosol cloud shape was an ellipsoid with the diameter along the X co-ordinate - 1 m and the vertical diameter - 0.5 m. The cloud was at $X=1$ m, $Z=0.8$ m or $1.7$ m from the ground. The initial aerosol particle concentration inside the cloud was $C_{X,Z}=5$ cm$^{-3}$. In preliminary test runs, it was established that variations in the shape and the volume of the cloud did not influence the results considerably if the larger diameter of the cloud was less than 1.5 m. Here, simulations were carried out for relatively simple geometries of open spaces. Various wind speeds and turbulent diffusion coefficients were considered. An example of confined environments with and without ventilation facilities was studied in the model too.

**Atmospheric diffusivity and aerosol evolution**

Dispersion of aerosol particles in the atmosphere is mainly influenced by the convection, heat transfer and turbulent diffusion. The atmosphere especially near the boundary layer at the size of the human is a non-steady-state non-equilibrium system with extremely complicated structure of boundary conditions. Atmospheric turbulence is intermittent in space and time and comprises eddies ranging from microscale size to meters even near the ground.
The diffusivity of such a patchy turbulence as atmospheric is mainly related to statistical parameters describing the morphology of turbulent events: filling factor, lifetime and height of the patches, etc., (Wilson, 2004). A statistical description of the turbulent characteristics is often employed in order to evaluate the impact of small-scale turbulence on the transport of aerosols. In-situ measurements of atmospheric diffusivity coefficients range from 0.2 to 0.8 m²/s (Alisse and Sidi, 2000). There are many uncertainties with the atmospheric turbulence, for example greater values and variations in the atmospheric diffusivity from circa 1 to 100 m²/s have been (Kennedy and Shapiro, 1980). In the boundary layer the atmospheric diffusion coefficient is in the range from 0.1 to 160 m²/s depending on the stability of the atmosphere, the urban geometry and traffic (Hanna et al., 1982). In street canyons the atmospheric diffusion coefficient is likely to be in the range from 0.1 to 10 m²/s, *ibid*.

To investigate aerosol dispersion over long distance simplifications are required (e.g. see Feng et al., 2020; Vuorinen et al., 2020). Here we employed software where compressible (Ma<0.3) Navier-Stokes equations are solved to generate the larger relatively stable eddies, but the smaller short-lived eddies are modelled with integrated atmospheric diffusion approach using the diffusion of diluted species module (COMSOL Multiphysics). The diffusion coefficients are taken from experimental works. This simplification allows modelling of aerosol dispersion on larger scales and it is widely used in studying atmospheric pollution studies from the global scale.
down to human size scales. This COMSOL Multiphysics approach is similar but not identical to Reynolds averaged Navier–Stokes approach (RANS) in which turbulent motion is not explicitly resolved and its effects on the velocity flow field are modelled using approximate turbulence models. The advantage of the current approach is the computational speed (~10 min for 3D models) and ability to incorporate the heat transfer, turbulent diffusion and external forces modules. The has been widely used in air quality control and many other applications (COMSOL Multiphysics).

Size and concentration of droplets generated by coughing and sneezing

Sneezing and coughing generate clouds of largely liquid aerosol particles in the air mainly in the size range from 1 to 100 μm (Zhao et al., 2005; Han et al., 2013).

Particles of different sizes have significantly different dynamic characteristics. Relatively large droplets are deposited within 1 metre due to gravitational settling (Leder and Newman, 2005). Smaller particles can travel longer distances. Gustavo (2012) has detected high concentrations of submicron particles in cough aerosols. The total number concentration of aerosol particles (integrated over all sizes) in some papers is from $10^3$ cm$^{-3}$ to $2 \cdot 10^3$ cm$^{-3}$ (Yang et al., 2007). Average size range of the particles was 1–10 μm, and 50% of particles have diameter >10 mm. However, some of small particles may or may not be directly related to coughing but to
the background aerosol. The estimated droplet concentrations for coughing ranged from 2.4 to 5.2 cm$^3$ per cough (Chao et al., 2009). There are many inconsistencies in the literature on particle number and size distribution of aerosol particles generated by speaking, singing, coughing and sneezing. In this paper, the initial concentration of aerosol particles generated by a host considered as an unknown parameter in modelling that does not affect the dispersion of aerosols. If the initial concentration is known, then the modelling results can be readily converted into aerosol particle number concentrations.

The majority of data suggests that size range of particles generated by coughing and sneezing by infected humans is from 1 μm to 100 μm. The particles in the size range from 1 μm to 10 μm are part of PM10 characteristic and well researched, for example it is known that they stay airborne for some time (minutes to hours) and travel long distances (more than 10s of meters). Dispersion of larger particles 10 μm to 100 μm is less understood. The larger particles have a greater viral load than the small particles (on average 1000 times greater), therefore, a contribution of larger particles to the COVID-19 aerosol transmission route should be better understood. Here we investigate dispersion of aerosol particles of the size range from 10 μm to 100 μm.

Viral load
There are many uncertainties with quantification of the viral load. The median viral load in posterior oropharyngeal saliva or other respiratory specimens is $5.2 \log$ copies per ml and maximal virus loading is found circa $10^8$ copies/mL (Kai-Wang et al., 2020). The viral loads in throat swab and sputum samples peaked at around 5–6 days after symptom onset, ranging from around $10^3$ to $7.11 \cdot 10^8$ copies per mL according to “Evidence summary for SARS-CoV-2 viral load and infectivity over the course of an infection” (2020). The viral loads, as identified by values of RT-PCR assay, have been reported to be highest soon after the onset of symptoms reaching up to $10^8$ copies per ml (Zou et al., 2020). There is no direct evidence on the viral load in aerosol particles generated by an infected person. The data obtained from swabs are used here as a proxy to evaluate the number of virus copies in aerosol particles. In the absence of direct measurements, the assumption of equal viral loads in the posterior oropharyngeal saliva and in aerosol particles is accepted here.

Here we model atmospheric transfer at various conditions including atmospheric diffusion coefficient (0.1 m$^2$/s to 10 m$^2$/s), size of aerosol particles/droplets (10µm to 100 µm) and concentration is modelled in dimensionless units that can be easily adjusted to any starting value. The range of parameters is an essential to limits uncertainties with assumptions on parameters to ensure that using variations in parameters would not change the conclusions dramatically.
Results and discussions

Two types of aerosol source have been modelled: a steady-state source and time-dependent source. The first one is a simplification of a constant aerosol generation process such as during talking or singing. The latter is related to a single coughing or sneezing act, generating a cloud that evolves and moves with time.

Steady-state aerosol source X-Z plane

It was found that aerosol particles were carried out with the convection flow and spread from the source along the Z-coordinate, Fig. 1. The aerosol particle concentration field forms a narrow plume from the source directed slightly to the ground. If we assume that the initial concentration of particles in the cloud is \( C_0 = 5 \text{ cm}^{-3} \) then the concentration shown with a red contour line \( (C_{X,Y} = 0.3\cdot C_0) \) reaches almost 6 m distant from the source for wind speed 1 m/s Fig. 1A. The concentration shown with the yellow contour line \( (C_{X,Y} = 0.2\cdot C_0) \) covers over 10-meter distance from the source of the aerosol particles. Interestingly the green contour line \( (C_{X,Y} = 0.1\cdot C_0) \) is spread beyond \( X=12 \) meters. The concentration field is asymmetric due to influence of the ground boundary conditions. The upwind area is completely clean from aerosol particles emitted from the source. Modelling demonstrates a strong influence of convection on the spread of
aerosol particles along the X-axis, but diffusivity is responsible for dispersion of particles along the Y-axis and Z-axis.

On a quiet day, the average air wind speed at the height of 1.5 to 2 meters above the ground is from 0.3 m/s to 1 m/s. On a moderate day, with a higher wind speed, for example 3 m/s, red and yellow contour lines are shrunk, but the green line extends beyond the model border, X=17 m, Fig. 1B. This shows that the faster movement of the aerosol decreases the concentration of particles due to a greater dilution of the aerosol. This effect is well known in air pollution research when higher wind speed episodes are associated with lower concentrations of aerosol particles. This decreases the area of the plume and therefore, chances that the general public will be exposed to the virus laden aerosol particles. Therefore, in a windy day the viral infection transfer rate should be lower than in a quiet day.

The atmospheric diffusivity also influences the aerosol dispersion. An increase in the diffusion coefficient from Dif=0.01 m$^2$/s (Fig. 1A) to Dif=0.1 m$^2$/s (Fig. 1C) increases the vertical spread of the contour plots but shortens them in the X-axis. A spectacular manifestation of the effects of diffusion is shown in Fig. 1C with magenta streamlines obtained with Dif=0. This is the case of an unrealistic steady-state laminar flow without turbulent diffusion when an aerosol cloud travels the distance determined by the gravitational force and the wind speed.
The model built enables complicated geometries to be studied. If a car is placed in an open space, for example a parking area near a supermarket then the air flow can be disturbed by the car and change the aerosol concentration field. The flow of aerosol particles is carried over a car near the source and extended zone of high concentration, Fig. 2.

In this case a person at $X=10$ m is in the middle of the green contour line and exposed to aerosol concentration in the range $0.1 \cdot C_0 < C_{X,Z} < 0.2 \cdot C_0$. Without car a person in the same place would be exposed the aerosol concentration $C_{X,Z} < 0.1 \cdot C_0$, Fig. 1C. There is also a large stagnation zone behind the car where several large eddies are formed between $X=7$ m and 17 m, Fig. 3. It should be noticed that the largest eddy at $\sim 12$ m causes the backwind trajectories of the magenta streamlines. Similar effects were observed in models with other obstacles: trees, shrubs, people, etc. The considered cases were modelled in a humid air $R_h=90\%$ with aerosol particles of 100 $\mu$m diameter. It is a worst-case scenario when evaporation is negligible, and the terminal velocity of particles is largest. Therefore, in all other cases travel distances of aerosol particles should be greater. Thus, in open spaces various obstacles to the wind may increase the spread of viral infections.

The influence of heat transfer on the air dynamic and the aerosol particle concentration was investigated in cases when a car shown in Fig. 2 has an elevated boundary temperature as after been driven. In the model runs the surface of the car boundary was varied from $30^\circ C$ to $40^\circ C$. the
influence of the elevated temperature was found to be negligible. Thus, this type of heat transfer was not essential for aerosol cloud dispersion. However, for other geometries and conditions effects of heat transfer can be greater.

Steady-state aerosol source X-Y plane

The aerosol cloud dispersion in the horizontal X-Y plane was calculated at Z=1.7 m in the same way as it was done for modelling aerosol travel in the vertical plane (X-Z). In the model, a concentration field of smaller 10 μm diameter particles have been calculated in X-Y space (-3m<X<17m; -5m<Y<5m). The aerosol source (the mouth of the host head) was at X=0, Y=0 at 1.7m from the ground.

The velocity field boundary conditions for boundaries at Y=5 m and at Y=-5 m were allowing slip. The rest of boundary conditions were the same as in the X-Z modelling.

It was found that aerosol particles were carried out with the convection flow and spread from the source in all directions. An open space geometry modelled with wind speed 0.3 m/s (0.66 mph) shows that small particles travel considerable distances, greater than 15 meters, Fig. 4.

An aerosol particle concentration field forms a plume from the source directed downwind. The concentration field is highly asymmetric. The upwind area is completely clean from aerosol
particles emitted from the source. Modelling demonstrates a strong influence of convection on the spread of aerosol particles along the X-axis and diffusivity - along the Y-axis.

An increase in the wind speed from 0.3 m/s to 1 m/s leads to decrease of the length of each contour plot. For example, the yellow contour line covers less than 9-meter length, Fig. 5 where in Fig. 4 it is 15 meters. This is explained by a greater dilution of the aerosol at higher speed of wind. This supports findings in the modelling in X-Z plane that an increase in the wind speed reduces exposure to aerosol particles.

Time-dependent modelling of evolution of an aerosol cloud in an open space

A supermarket car park (10m x 20m) with a moderate wind speed in a dry weather is considered. A single infected person generates an aerosol cloud (by a single cough) containing small (1μm<$Dp$<10μm) and larger (100μm>$Dp$>10μm) aerosol particles; where $Dp$ is the aerodynamic diameter of a particle, Baron and Willeke (2001). In typical air (RH=50%, T=20 °C) the larger aerosol particles quickly release the water vapor that reduces the terminal velocity considerably (Vuorinen et al., 2020). The convection is also influenced by buoyancy, movement of people, machines and animals. In this modelling, all the driving forces of convection except for the wind velocity were integrated into an atmospheric diffusion coefficient.
The initial size of the aerosol cloud generated by a single cough was assumed to be 0.5m x 1m ellipse with concentration of particles \(C_0=5 \text{ cm}^{-3}\). After the first 6 seconds the cloud has grown up to 6 meters, see aerosol particles concentration contour line \(C_{XY}=0.1 \cdot C_0\) (green line) in Fig. 6. Then the cloud moved with the wind further along the X-axis and become wider in the X-Y plane, see a supplementary video. At the same time the particle concentration in the cloud is decreasing due to dispersion by atmospheric diffusion. The black contour line disappeared first and then the red line disappeared also. Therefore, non-steady-state modelling confirms that aerosol particles generated by a cough can travel considerable distances from the source in excess of 10 meters.

3D modelling in confined spaces

The modelling in open spaces was adapted to confined spaces. For this the wind speed was replaced by convection driven by buoyancy (e.g., caused by heating radiators and electronic devices) and ventilation. These create a complex non-uniform 3D velocity field. In modelling, integrated diffusion coefficients were employed as in the modelling of the open spaces.

The rectangular geometry with a 4 m x 6 m footprint and 3 m height with an inlet and an outlet ventilation and with 3 beds was modelled, Fig. 7. The ventilation flow rate was \(Q=0.1 \text{m}^3/\text{s}\) and the volume exchange is 5 times per hour (\(V=72\text{m}^3\)). Boundary conditions were as described in the 2D sections.
It was found that from the inlet the ventilation flow was directed to the floor where it changed direction and moved almost horizontally, see the Y-Z plane at X=0.5 m in Fig. 8. The effects of buoyancy (driven by differences in temperature) on the convection flow were found to be greater in the confined space than in open spaces. If a radiator in a confined space (not shown in Fig. 7) was at T=50°C or 30°C higher than the wall temperature, the heat induced convection velocity flow was the same order of magnitude than the ventilation flow velocity. Therefore, in confined spaces heat transfer has to be taken into account.

A possible scenario of contaminated ventilation with the initial aerosol concentration $C_0=1 \text{ cm}^{-3}$ was modelled. Modelling shows that in the confined space, aerosol particles occupy a considerable part of the room volume. If a person is in the bed at Y=1 m he/she is exposed to $C_{XY}$ > 0.2·$C_0$ that is greater than the exposure level for a person in the bed at Y=5 m where $C_{XY}$ < 0.1·$C_0$, Fig. 9.

The difference between an open space and a confined space scenario is the volume where the aerosol is dispersed and the number of aerosol emission acts. 3D modelling does not contradict to a possibility that viral infections can be transformed via ventilation in confined spaces. However, there are very limited data available on direct measurements of viral presence in ventilation facilities. Airborne viral infection transmission via ventilation is an important issue for multistore
buildings including hospitals and care homes and should be investigated along with other transmission routes.

Accumulated dose of viral load and exposure to large aerosol particles/droplets

This modelling confirms a potential possibility of the aerosol route for transmission of COVID-19 infection. In this section we are using the modelling results and the literature data to investigate exposure – dose relationships relevant to viral load that can be transferred from a host to a healthy individual. To evaluate transfer of a viral infection, first an aerosol particle concentration field $C_{X,Y,Z,t}$ was calculated as described above and then the ICRP lung deposition model was applied to estimate the number of aerosol particles deposited in the respiratory tract (Hinds, 1999; Gorbunov et al., 2009), Fig. 10.

The total number of particles deposited in the respiratory system of a person who is at a point \( \{X,Y,Z,t\} \) after a single cubic centimetre of the aerosol breathed in \( (N_{pd}) \) can be found from:

\[
N_{pd} = \int_{Dp=1}^{Dp=100} E_{Dp} \cdot G_{X,Y,Z,t,Dp} \cdot Dp
\]

Here \( E_{Dp} \) is the deposition efficiency of aerosol particles in the respiratory system as function of the particle size, Fig. 10. The aerosol particle number size distribution has been included in
expression (1) and indicated as an symbol $Dp$ in $C_{X,Y,Z,t,Dp}$ (Gorbunov et al., 2013). So expression (1) $C_{X,Y,Z,t,Dp}$ is a 5-dimensional function of space, time and particle size.

According to the ICRP deposition efficiency curve, the particles relevant to COVID-19 transmission (1µm<$Dp<$100µm) are captured mainly by the upper respiratory tract. Therefore, the face masks for COVID-19 should be designed to filter out particles in the range from 1µm to 100µm preferably with maximal efficiency at the $E_{Dp}$ maximum - 5µm. The current face mask industry standard does not include testing in this size range (Shu-An Lee et al., 2016). The initial size distribution of droplets was taken from Yang et al. (2007).

First, to calculate the viral load, one has to find the total volume of aerosol particles in 1 cm$^3$ of air that deposited in the respiratory tract ($V_{pa}$).

$$V_{pa} = \frac{4}{3} \pi \int_{Dp=1µm}^{Dp=100µm} C_{X,Y,Z,t,Dp} E_{Dp} \left(\frac{Dp}{2}\right)^3 dDp \tag{2}$$

The accumulated dose of the viral load ($AD_{pd}$) is the total number of virus copies deposited in the respiratory tract after number of breathing cycles $n$ and the volume of a single breath ($V_1$).

The viral load of the posterior oropharyngeal saliva is $\beta$. Evaporation of water from aerosol particles/droplets results in increasing the viral load (Baron and Willeke, 2001). This effect is accounted for by the humidity factor $H_f$ that ranges from 1 for a humid air to 300 for the dry air (Vuorinen et al., 2020).
It should be noted that $n$ may or may not be constant. It is influenced by the physical activity, fitness level, age and gender. The average breath rate is ~5 cycles per minute.

$$AD_{pd}=V_{pd} \cdot V_1 \cdot n \cdot \beta \cdot H_f$$  \hspace{1cm} (3)

The number of breath cycles and the concentration of the aerosol particles define the deposition dose of a person that is exposed to an aerosol. The humidity in modelling was RH=50% (low humidity) and RH=90% that is close to humidity of the exhaled air Rh=87%.

Let us consider a healthy person standing at point $\{12m, 0.1, 7, t\}$ as in Fig.4 where he/she is exposed to aerosol particles $D_p=20 \text{ mm}$ with $C_{X,Y,Z,D_p}=1 \text{ cm}^3$, $n=10$ and $\beta=10^5$ virus copies per cm$^3$. The viral dose received by the person was found to be 20 copies of viruses in a humid air and considerably more in dryer air (circa 100 copies depending on the RH).

The critical viral load dose for COVID-19 is not well studied and further research is required.

However, there is a demand to quantify the risk of the infection transfer via the aerosol route. The expressions (2) and (3) can be used to quantify the dose and potentially to be employed as a measure of the risk associated with exposure to airborne viruses like SARS-CoV-2.

The modelling developed here is a simplified approach where all statistical variabilities of the aerosol evolution in real environments are accounted for by the integrated turbulent diffusion coefficient superimposed on the laminar flow solution. There is a question of uncertainties...
associated with this approach. However, it is unlikely that these uncertainties affect the main conclusions of the current work. Under the circumstances a fast software (1 to 10 min computation time with PC) widely used and verified in a different field can be rather useful in evaluation of the airborne virus transfer and evaluating the risk associated with exposure to airborne viruses.

Limitations and assumptions in modelling

The general set of Navier-Stokes equations governs the motion of compressible Newtonian fluids. Running simulations using the original NS equations is often beyond the computational power of most of today's computers and supercomputers (Comsol Multiphysics software). Instead, a Reynolds-Averaged Navier-Stokes formulation of the Navier-Stokes equations, which averages the velocity and pressure fields in time is used. This assumption has been validated and widely accepted in air pollution modelling.

It is assumed here that the aerosol particle – air boundary can be treated according to Cunningham by introducing a slip correction factor (Baron and Willeke, 2001). This limitation is common in the aerosol science and very well validated. In addition, the density of aerosol particles/droplets was assumed to be 1.0 g/cc. It is a limitation, but it is unlikely that a small density change may noticeably affect the length of particle dispersion in the air.
Another assumption is the isotropic diffusion of the atmosphere along the model vertical dimension (from the ground level up to 5m). The main reason for this is lack of reliable data on anisotropic diffusivity near the ground in complex environments and large uncertainties with experimental results. To minimize effects of these uncertainties modelling were carried out with a range of diffusion coefficients.

Possible experimental verification of the 30m travel of aerosol particles (10 \( \mu m \) to 100 \( \mu m \) diameter)

SARS-CoV-2 viruses have been observed in the air, see for example Yuan et all., (2020). The modelling predicts measurable concentrations at 30m distance from the source. However, concentration of particles/droplets is small. From theoretical point of view, the particles can be studied employing a cascade impactor, e.g., Gorbunov et al., (2009) to fractionate particles, optical microscopy to count them and PCR technique for identification of viruses. However, in practice it might be challenging to synchronise emission act, wind direction and sampling device.

Alternatively, verification of modelling predictions could be done with a deactivated virus placed in a matrix of relevant body fluid, for example the lung fluid or saliva. This formulation can be aerosolized using either spinning disc aerosol generator, vibration orifice generator, or similar (Baron and Willeke, 2001). The generator can be positioned stationary and run in
preferable stable atmospheric conditions of moderate turbulence. In this case an issue of
synchronization is addressed. The concentration of aerosol particles/droplets generated can also
be considerably greater than concentration in a single act of sneezing. This experiment will be a
steady-state experiment. The aerosol particles can be collected with either a cascade impactor or
an aerosol filter.

Conclusions

• The results obtained confirmed that aerosol particles from a host can travel
distances considerably longer than the currently recommended 2m safe distance. Aerosol
particles of diameters from 10 μm to 100 μm that potentially can carry SARS-CoV-2
(COVID-19) viruses travel over 30 m at some atmospheric conditions.

• Modelling the evolution of aerosol clouds generated by coughing and sneezing
reveals that in realistic weather scenarios up to 200 virus copies can be deposited in the
upper respiratory tract of a healthy individual.

• A metric based on aerosol particle size distribution and ICRP lung deposition
model is suggested.
The modelling demonstrates how the aerosol particle dispersion is influenced by the weather and geometry of the space.

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DISCLAIMER

Reference to any companies or specific commercial products does not constitute or imply any endorsement.

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**Figure Captions**

**Fig. 1.** Number concentration of aerosol particles field in cm$^{-3}$ modelled for an aerosol open space geometry with a single aerosol source (brown figure looking to the right). Diameter of aerosol particles 100 $\mu$m; RH=90%. T=20 °C. Wind speed - 1 m/s and the turbulent diffusion coefficient Dif=0.01 m$^2$/s (A); wind speed - 3 m/s and the turbulent diffusion coefficient Dif=0.01 m$^2$/s (B); wind speed - 1 m/s and the turbulent diffusion coefficient Dif=0.1 m$^2$/s (C). Magenta streamlines in Fig. 1C show an unrealistic case of aerosol particle trajectories without the atmospheric diffusion (Dif=0).

**Fig. 2.** Number concentration of aerosol particles field in cm$^{-3}$ modelled for an aerosol open space geometry with a single aerosol source (brown figure looking to the right). Diameter of aerosol particles 100 $\mu$m; RH=90%. T=20 °C. Wind speed - 1 m/s and the turbulent diffusion coefficient Dif=0.01 m$^2$/s. A car is placed at X=6 m. The concentration color legend is the same as in Fig. 1.

**Fig. 3.** A magnified air velocity field for of aerosol particles of 100 $\mu$m; RH=90%. T=20 °C. Wind speed – 1 m/s and the turbulent diffusion coefficient Dif=0.01 m$^2$/s. A car is placed at X=6 m (not in the frame). Symbols of humans have been removed to make eddies clear visible. The velocity color legend is in m/s.

**Fig. 4.** Contour plot for the concentration field of aerosol particles (10 $\mu$m diameter) from a single source in X-Y plane 20m x 10m. Wind speed – 0.3 m/s (0.66 mph), atmospheric
diffusivity – 0.05 m$^2$/s. Contour lines show the concentration of aerosol particles: $(C_{XY} = 0.3 \cdot C_0)$ – red; $(C_{XY} = 0.2 \cdot C_0)$ – yellow; $(C_{XY} = 0.1 \cdot C_0)$ – green. RH=50%. T=20 °C. The initial concentration of particles in the cloud is $C_0=5$ cm$^{-3}$.

**Fig. 5.** Contour plot for the concentration field of aerosol particles from a single source in the area of 40m x 10m. Velocity of air – 1 m/s (2.2 mph), atmospheric diffusivity – 0.05 m$^2$/s.

Contour lines show the concentration of aerosol particles: $(C_{XY} = 0.3 \cdot C_0)$ – red; $(C_{XY} = 0.2 \cdot C_0)$ – yellow; $(C_{XY} = 0.1 \cdot C_0)$ – green. With RH=50% and T=20 °C. The initial concentration of particles in the cloud is $C_0=5$ cm$^{-3}$. An extended version of the geometry is shown in Fig. 4.

**Fig. 6.** An XY cross-section of number concentration field of aerosol particles at the beginning of the aerosol cloud evolution, time - 6 s. Wind speed 0.3 m/s; T=20°C; RH=50%; diffusivity $D_f=0.03$ m$^2$/s. The contour lines are: $(C_{XY} = 0.3 \cdot C_0)$ – red; $(C_{XY} = 0.2 \cdot C_0)$ – yellow; $(C_{XY} = 0.1 \cdot C_0)$ – green. Other conditions as in previous steady-state model.

**Fig. 7.** Geometry for 3D modelling of aerosol dispersion. The model includes three blue top rectangular beds at the ground level, a ventilation inlet at {1m<X < 3m; 0<Y<0.4m; Z=3.1m} and a ventilation outlet at {1m<X < 3m; 5.6m<Y<6m; Z=3.1m}.

**Fig. 8.** Velocity field for the ventilation velocity $v_{airin}=0.1$ m/s; $D_{f, cov}=0.1$m$^2$/s; T=20°C; RH=50%; The color-coded legend shows velocity in m/s.
Fig. 9. Aerosol particle concentration field in a Y-Z plane at X=2 m. The conditions are the same as in Fig. 8. Contour lines are: \((C_{XY} = 0.3 \cdot C_0)\) – red; \((C_{XY} = 0.2 \cdot C_0)\) – yellow; \((C_{XY} = 0.1 \cdot C_0)\) – green. \(C_0=1\) cm\(^{-3}\).

Fig. 10. Aerosol particle deposition efficiency curves \((E_{Dp})\) vs. diameter of aerosol particles. The total deposition in the respiratory system shown with the dashed black curve and regional depositions are shown with colored lines: the upper respiratory tract (red line), tracheobronchial region (green line) and alveolar region (blue line).
Fig. 1.
Fig. 2.

Fig. 3.
Fig. 4.
Fig. 5.
Fig. 8.
Fig. 10.